
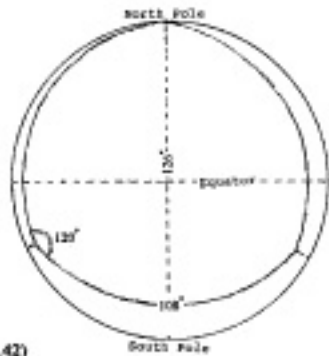
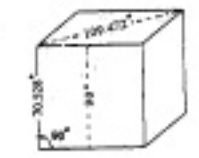
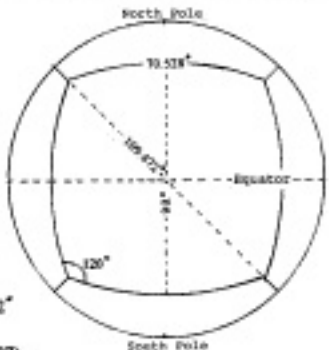
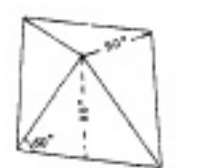
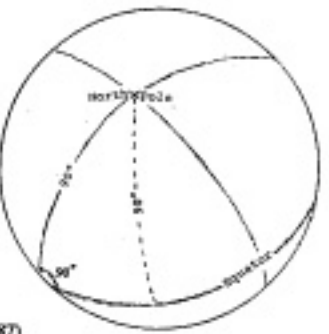

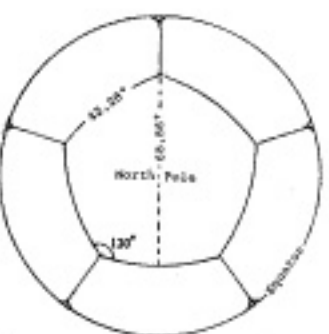






geometry of regular polyhedra	sphero-geometry of insphered polyhedra	geographic perspective and measurements with reference to the earth
<p><b>Tetrahedron</b></p>  <p>The angle a side supports at the centre is <math>108^\circ</math>                      The angle an apex and the mid-point of the opposite side support at the centre is <math>126^\circ</math>                      Angle of apex is <math>60^\circ</math>                      Superficial area 184,053,061.6 sq. kms. (1 face 46,013,265.42)</p>		<p>The arc-angle of a side is <math>108^\circ</math>. The arc-angle joining an apex to the midpoint of the opposite side is <math>126^\circ</math>. The distance of a side is between 12002.4 and 12022.55 kms. in an oblate spheroid earth</p> <p>The area of an arced triangular face is about 127,517,380.70 sq. kms. (a quarter of the superficial area)</p> <p>If a vertex is at the north pole, then the south pole would be at the centre of the triangular face diametrically opposite it. A polar circumference could go through one or two vertices, and the equator would be trisected by the sides. The tetrahedron is not a true antipodal polyhedron as none of its faces, sides and vertices has a corresponding antipodal counterpart.</p> <p>An apex of an arced face is <math>120^\circ</math></p>
<p><b>Hexahedron</b></p>  <p>The angle a side supports at the centre is <math>70.528^\circ</math>                      The angle the mid-points of opposite sides support at the centre is <math>90^\circ</math>                      The angle opposite apices support at the centre is <math>109.472^\circ</math>                      Angle of apex is <math>90^\circ</math>                      Superficial area 324,714,371.2 sq. kms. (1 face 54,119,061.87)</p>		<p>The arc-angle of a side is <math>70.528^\circ</math>. The arc-angle joining the midpoints of opposite sides is <math>90^\circ</math>. The arc-angle joining opposite apices is <math>109.472^\circ</math>. The distance of a side is between 7838.01 and 7851.17 kms.</p> <p>The area of an arced square face is about 85,011,587.13 sq. kms. (a sixth of the superficial area)</p> <p>If squares are at the poles, then their centres could be the north and south poles. A polar circumference could go through four vertices, and the equator would bisect the sides of the squares it goes through, while it itself would be quartered by the same sides. The hexahedron is a true antipodal polyhedron as all its faces, sides and vertices have their corresponding antipodal counterparts.</p> <p>An apex of an arced face is <math>120^\circ</math></p>
<p><b>Octahedron</b></p>  <p>The angle a side supports at the centre is <math>90^\circ</math>                      The angle an apex and the mid-point of the opposite side support at the centre is <math>90^\circ</math>                      Angle of apex is <math>60^\circ</math>                      Superficial area 281,208,055.0 sq. kms. (1 face 35,151,006.87)</p>		<p>The arc-angle of a side is <math>90^\circ</math>. The arc-angle joining an apex to the midpoint of the opposite is also <math>90^\circ</math>. The distance of a side is between 10062 and 10018.79 kms. - about a quarter of the circumference.</p> <p>The area of a arced triangular face is about 63,758,690.35 sq. kms. (an eighth of the superficial area)</p> <p>If a vertex is at the north pole, then the vertex diametrically opposite it is at the south pole. A polar circumference could go through two or four vertices, and the equator could go through four vertices along the centre. The octahedron is a true antipodal polyhedron as all its faces, sides and vertices have their corresponding antipodal counterparts.</p> <p>An apex of an arced face is <math>90^\circ</math></p>
<p><b>Dodecahedron</b></p>  <p>The angle a side supports at the centre is <math>42.28^\circ</math>                      The angle an apex and the mid-point of the opposite side support at the centre is <math>68.86^\circ</math>                      Angle of apex is <math>108^\circ</math>                      Superficial area 435,869,746.5 sq. kms. (1 face 36,322,478.88)</p>		<p>The arc-angle of a side is <math>42.28^\circ</math>. The arc-angle joining an apex to the midpoint of the opposite side is <math>68.86^\circ</math>. The distance of a side is between 4698.71 and 4706.6 kms.</p> <p>The area of an arced pentagonal face is about 42,505,793.55 sq. kms. (a twelfth of the superficial area)</p> <p>If a pentagon is at the north pole, then a pentagon diametrically opposite is at the south pole and their centres could be at the poles. A polar circumference could go through four vertices, and the equator would bisect the sides of the ten pentagons it goes through, while it itself is divided into ten equal parts by the same sides. The dodecahedron is a true antipodal polyhedron as all its faces, sides and vertices have their corresponding antipodal counterparts.</p> <p>An apex of an arced face is <math>120^\circ</math></p>
<p><b>Icosahedron</b></p>  <p>The angle a side supports at the centre is <math>63.42^\circ</math>                      The angle an apex and the mid-point of the opposite side support at the centre is <math>58.29^\circ</math>                      Angle of apex is <math>60^\circ</math>                      Superficial area 388,455,926.9 sq. kms. (1 face 19,422,796.35)</p>		<p>The arc-angle of a side is <math>63.42^\circ</math>. The arc-angle joining an apex to the midpoint of the opposite side is <math>58.29^\circ</math>. The distance of a side is between 7048.07 and 7059.9 kms.</p> <p>The area of an arced triangular face is about 25,503,476.14 sq. kms. (a twentieth of the superficial area)</p> <p>If a vertex is at the north pole, then the diametrically opposite vertex is at the south pole. A polar circumference could go through two or four vertices, and the equator would bisect the sides of the ten triangles it goes through, while it itself is divided into ten equal parts by the same sides. The icosahedron is a true antipodal polyhedron as all its faces, sides and vertices have their corresponding antipodal counterparts.</p> <p>An apex of an arced face is <math>72^\circ</math></p>
<p><b>(Composite polyhedron) Hexapenhedron</b></p>  <p>The angle a side supports at the centre is <math>24^\circ</math>                      The angle of apex (pentagon) is <math>108^\circ</math>, (hexagon) is <math>120^\circ</math>                      Superficial area 509,535,339.1 sq. kms. (1 pentagon 12,071,636.13, 1 hexagon 18,233,785.28)</p>		<p>The arc-angle of a side is <math>24^\circ</math> and its distance is between 2667.2 and 2671.67 kms. - about a fifteenth of the circumference.</p> <p>The area of an arced pentagonal face is about 12,084,291.72 sq. kms.                      " " " " " hexagonal " " " " 18,252,901.09 " "</p> <p>The hexapenhedron is a true composite antipodal polyhedron as all its faces, sides and vertices have their corresponding antipodal counterparts. For more details refer to the map of the insphered hexapenhedron (mapped out football).</p> <p>An apex of an arced pentagon is <math>113^\circ</math>                      " " " " " hexagon = <math>123.5^\circ</math></p>